

Terahertz Circular Dichroism Spectroscopy



Who We Are

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Dr. S. James Allen, UCSB, Physics

Who Funds Us

UCSB, Army, NASA

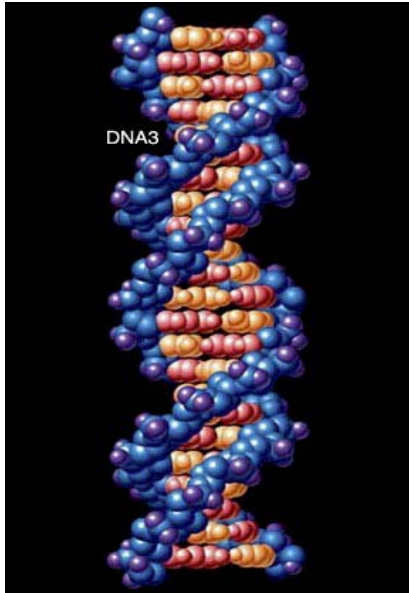


What Do We Do?

- Look for a biologically specific phenomena, “**circular dichroism**”.

Terahertz Circular Dichroism Spectroscopy

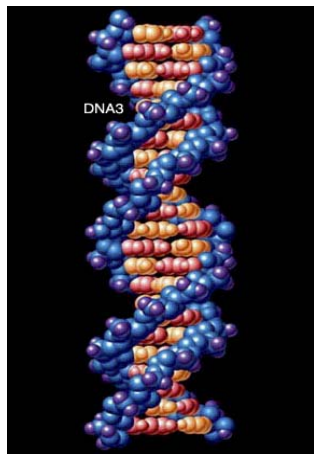
Circular Dichroism: due to **interaction** between biopolymers and EM radiation.



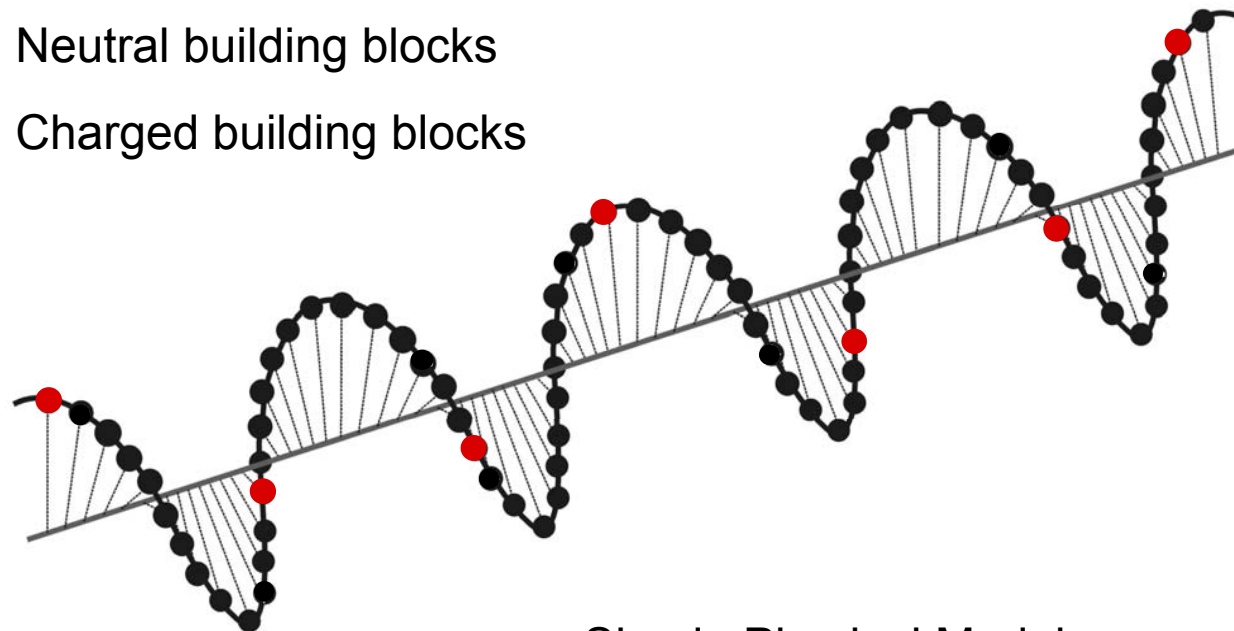
Typical Biopolymer

Terahertz Circular Dichroism Spectroscopy

Circular Dichroism: due to **interaction** between biopolymers and EM radiation.



- Neutral building blocks
- Charged building blocks

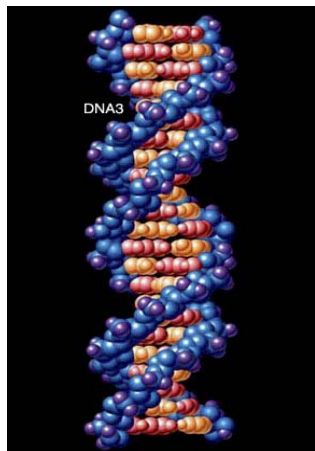


Simple Physical Model

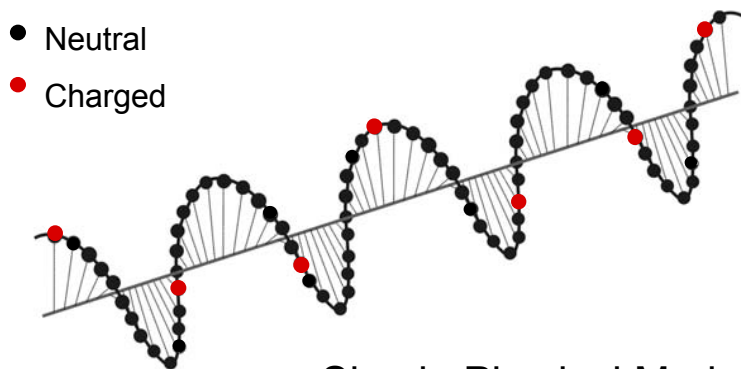
Typical Biopolymer

Terahertz Circular Dichroism Spectroscopy

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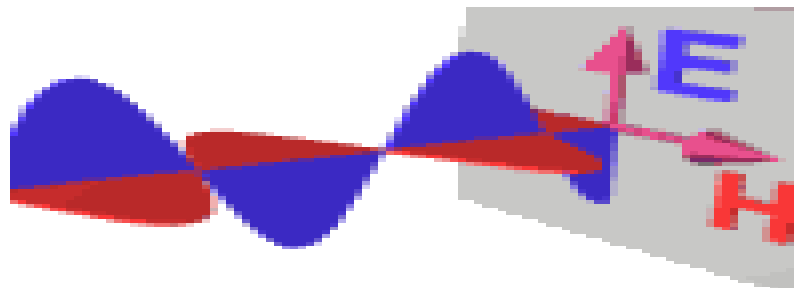


Typical Biopolymer



Simple Physical Model

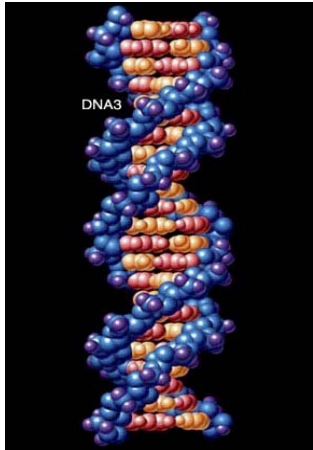
**charges
move,
biopolymers
move.**



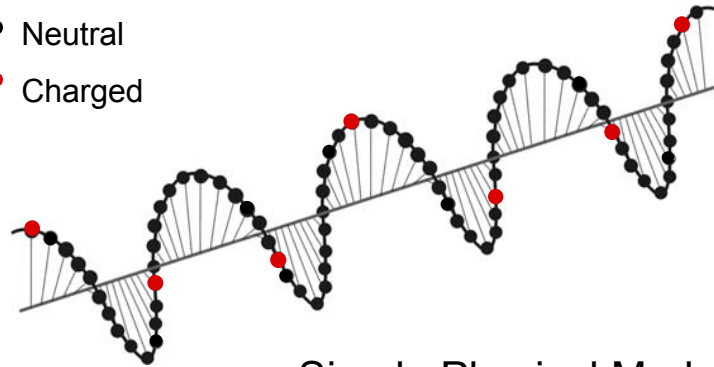
Sample EM Radiation

Terahertz Circular Dichroism Spectroscopy

Circular Dichroism: due to **interaction** between biopolymers and EM radiation.



- Neutral
- Charged

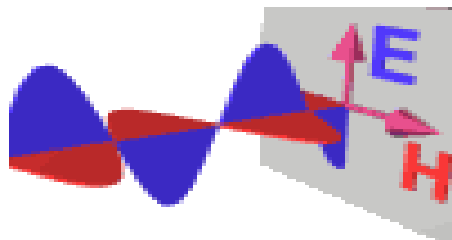


Simple Physical Model

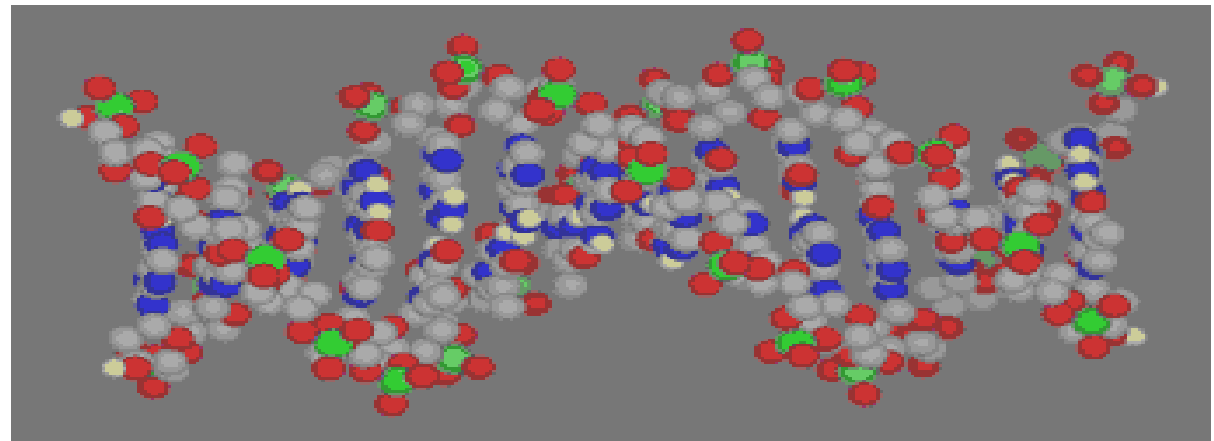
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Typical Biopolymer



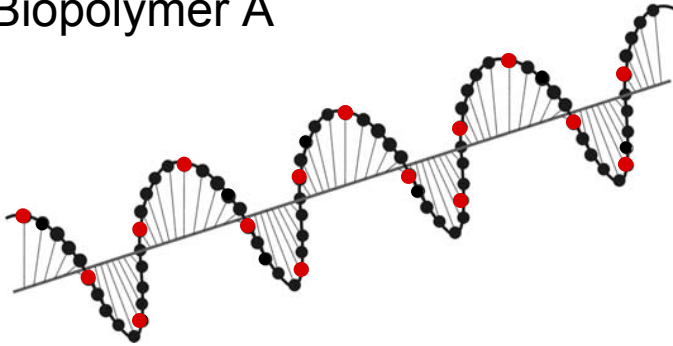
Sample EM Radiation



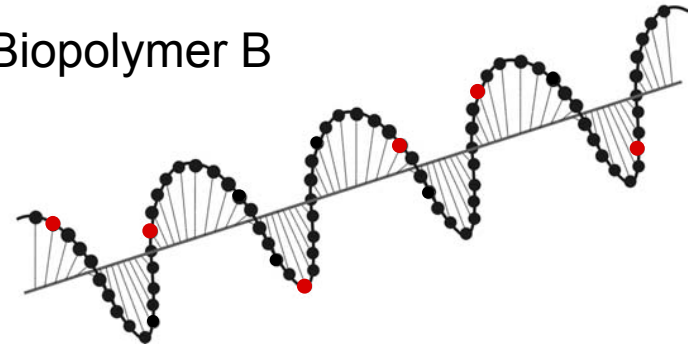
Terahertz Circular Dichroism Spectroscopy

Circular Dichroism: **unique** to each biopolymer.

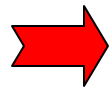
Biopolymer A



Biopolymer B



Each Biopolymer has a **unique** distribution of **charged** building blocks.



Circular Dichroism produced at **any** wavelength: **Unique** to Biopolymer

What Makes Us Special: Terahertz Circular Dichroism.

- NOT explored before.
- Study **large-scale dynamics** in biopolymers.

Real time observation of
large-scale protein folding and unfolding (Biochemists)

- Circular dichroism produced at **ANY** wavelength is
Unique to each biopolymer.

All biopolymers interact with (absorb) **Terahertz** radiation.

Detection of life (NASA)

Identification of biochemical agents (Army)

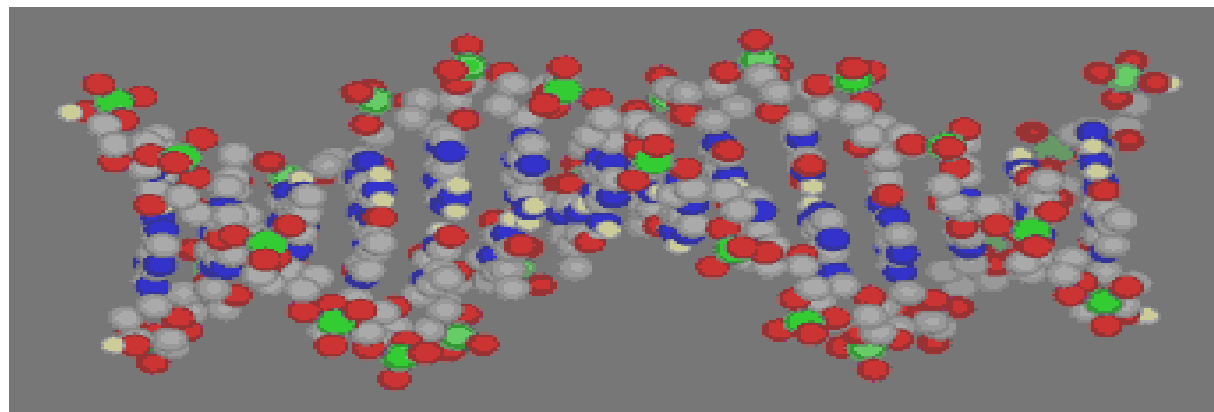
How do we go about modeling the Terahertz Circular Dichroism:

Goal and Approach:

Need information on the trajectory of charged building blocks of biopolymer in order to understand the interaction between biopolymer and Terahertz radiation, in order to calculate Terahertz Circular Dichroism.

Trajectory

The path of a moving object through space over time.



How do we go about modeling the Terahertz Circular Dichroism:

Step 1: Need information on the trajectory of charged building blocks.

Step 1 a: Write down equation of motion for each charged building block:

$$I \cdot \frac{d^2}{dt^2} \theta_i = -\alpha \cdot (\theta_i - \theta_{i+1}) - \alpha \cdot (\theta_i - \theta_{i-1}) + q_i \cdot \mathbf{b} \cdot \boldsymbol{\varepsilon}_x \cdot e^{j \cdot (\omega \cdot t - \mathbf{k} \cdot \mathbf{z}_i)} \cdot \sin(\phi_i)$$

Step 1 b: Solve this equation of motion to get the trajectory of all charged building blocks on a biopolymer.

Solving method: **analytically: using pencil and paper.**



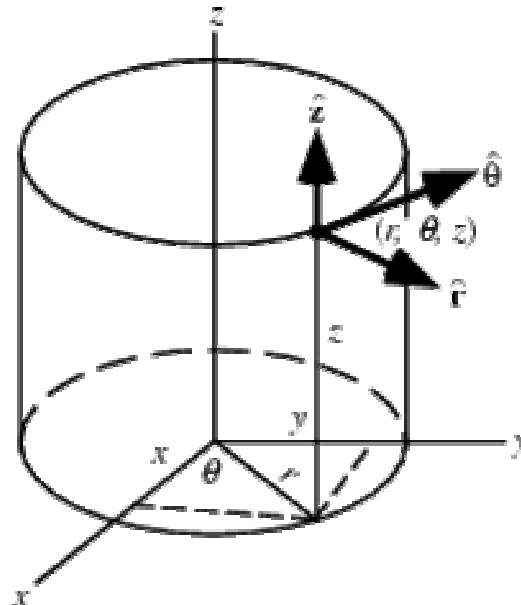
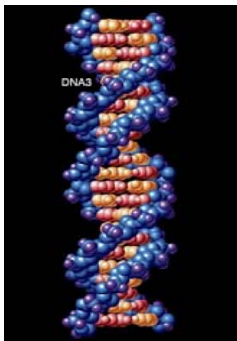
Step 2: Understand the interaction between biopolymer and Terahertz radiation,

Step 3: Calculate Terahertz Circular Dichroism.

Terahertz Circular Dichroism Spectroscopy

Equation of motion for **charged** building blocks: cylindrical coordinates: r_i, z_i, θ_i

$$I \cdot \frac{d^2}{dt^2} \theta_i = -\alpha \cdot (\theta_i - \theta_{i+1}) - \alpha \cdot (\theta_i - \theta_{i-1}) + \mathbf{q}_i \cdot \mathbf{b} \cdot \boldsymbol{\varepsilon}_x \cdot e^{j \cdot (\boldsymbol{\omega} \cdot \mathbf{t} - \mathbf{k} \cdot \mathbf{z}_i)} \cdot \sin(\phi_i)$$



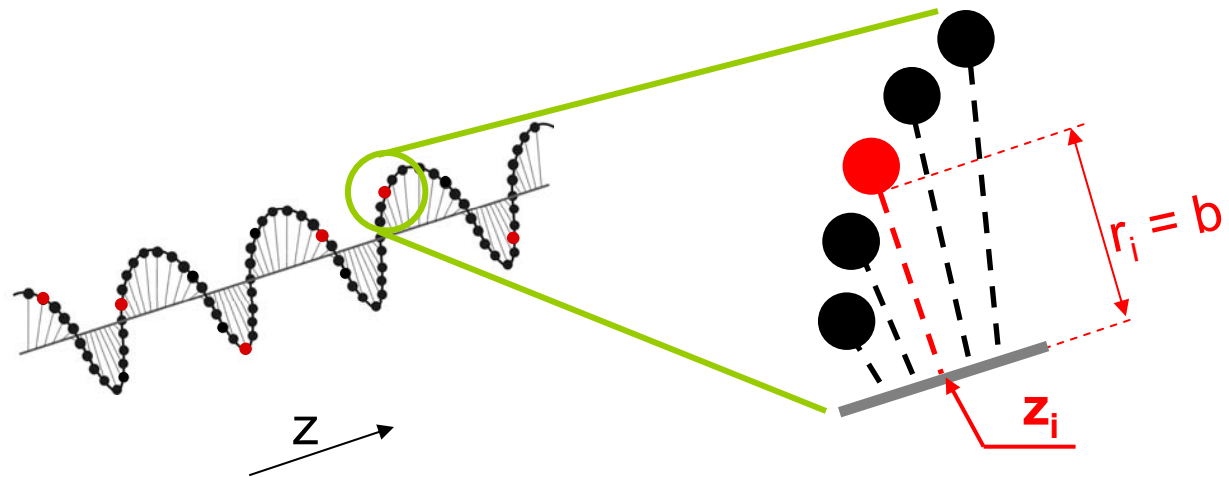
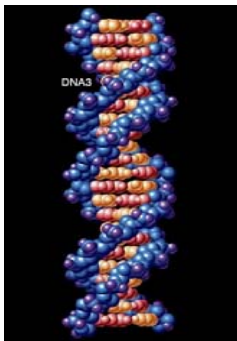
Cylindrical Coordinates:

$r, z, \theta.$

Terahertz Circular Dichroism Spectroscopy

Equation of motion for **charged** building blocks: cylindrical coordinates: r_i, z_i, θ_i

$$I \cdot \frac{d^2}{dt^2} \theta_i = -\alpha \cdot (\theta_i - \theta_{i+1}) - \alpha \cdot (\theta_i - \theta_{i-1}) + q_i \cdot \mathbf{b} \cdot \boldsymbol{\varepsilon}_x \cdot e^{j \cdot (\omega \cdot t - \mathbf{k} \cdot \mathbf{z}_i)} \cdot \sin(\phi_i)$$

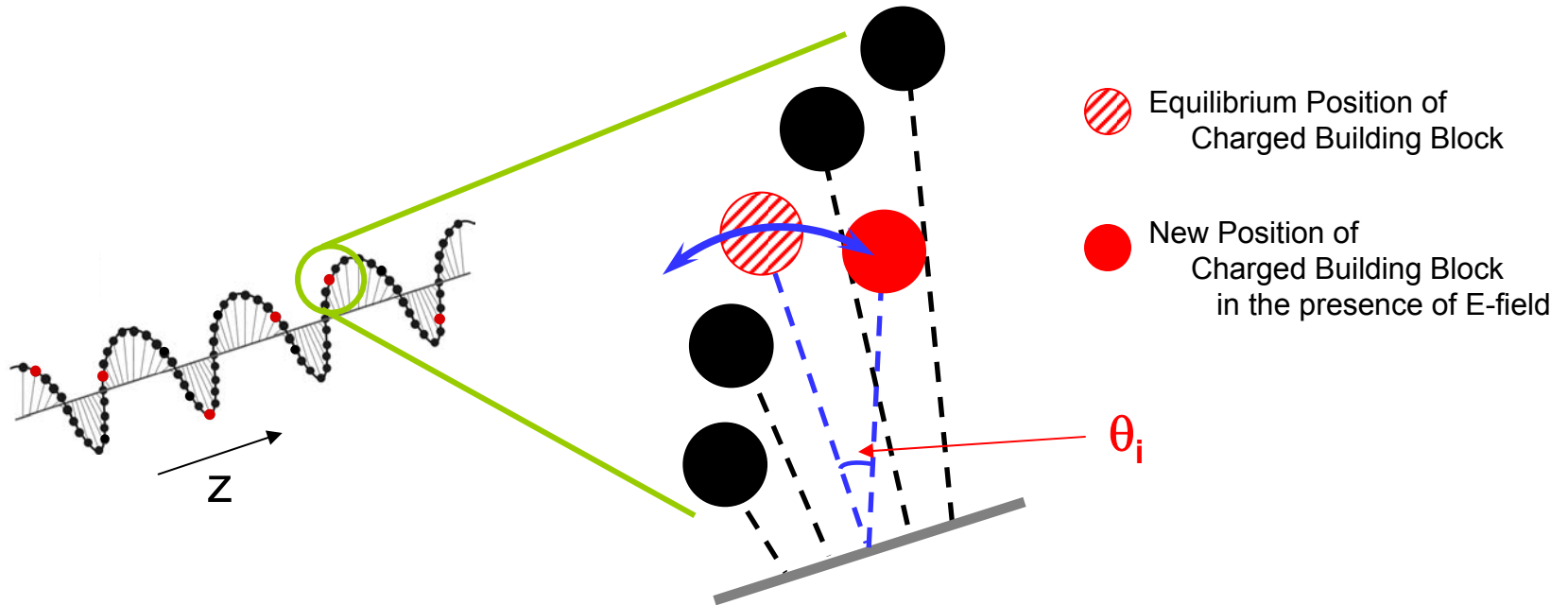


For each **charged** building block,
 we describe their position with $r_i = b, z_i, \theta_i$,
 where subscript **i** keeps track each of the charged building blocks.

Terahertz Circular Dichroism Spectroscopy

Equation of motion for **charged** building blocks: cylindrical coordinates: r_i, z_i, θ_i

$$I \cdot \frac{d^2 \theta_i}{dt^2} = -\alpha \cdot (\theta_i - \theta_{i+1}) - \alpha \cdot (\theta_i - \theta_{i-1}) + q_i \cdot \mathbf{b} \cdot \boldsymbol{\varepsilon}_x \cdot e^{j \cdot (\omega \cdot t - \mathbf{k} \cdot \mathbf{z}_i)} \cdot \sin(\phi_i)$$



Only movement in the **tangential plane** to the backbone is allowed.

ϕ_i = equilibrium position. θ_i = displacement from ϕ_i

Terahertz Circular Dichroism Spectroscopy

Equation of motion for **charged** building blocks: [what it means](#)

$$I \cdot \frac{d^2}{dt^2} \theta_i = -\alpha \cdot (\theta_i - \theta_{i+1}) - \alpha \cdot (\theta_i - \theta_{i-1}) + \mathbf{q}_i \cdot \mathbf{b} \cdot \boldsymbol{\varepsilon}_x \cdot e^{j \cdot (\boldsymbol{\omega} \cdot \mathbf{t} - \mathbf{k} \cdot \mathbf{z}_i)} \cdot \sin(\phi_i)$$

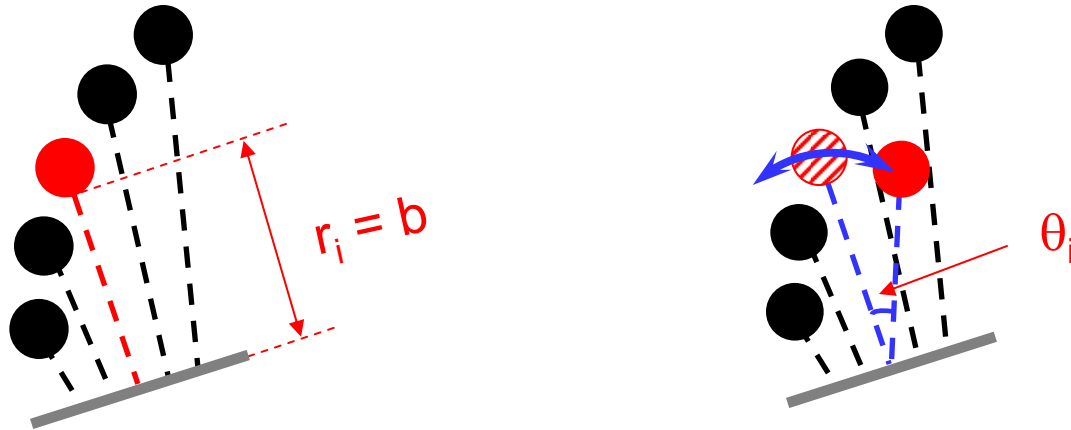
Recipe for writing down the equation of motion of a particle:

mass * acceleration = all forces experienced

Terahertz Circular Dichroism Spectroscopy

Equation of motion for **charged** building blocks: [left hand side](#)

$$I \cdot \frac{d^2}{dt^2} \theta_i = -\alpha \cdot (\theta_i - \theta_{i+1}) - \alpha \cdot (\theta_i - \theta_{i-1}) + \mathbf{q}_i \cdot \mathbf{b} \cdot \boldsymbol{\varepsilon}_x \cdot e^{j \cdot (\omega \cdot t - \mathbf{k} \cdot \mathbf{z}_i)} \cdot \sin(\phi_i)$$



I = Inertia of the charged building block = mass * $b^2 \sim$ **mass**

$\frac{d^2}{dt^2} \theta_i$ = second derivative of displacement angle = **acceleration**

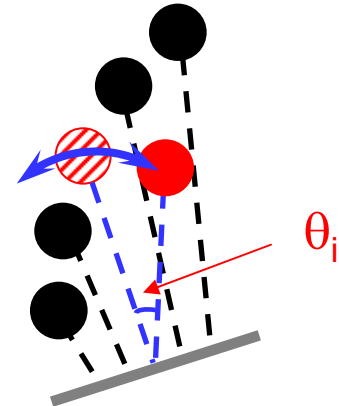
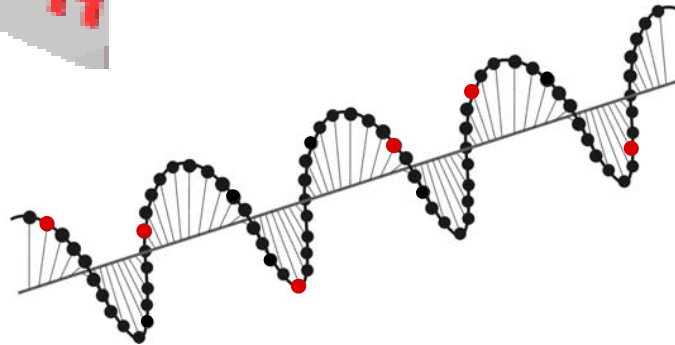
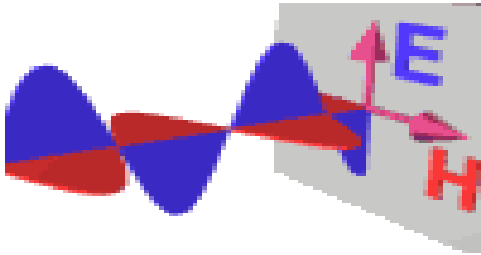
LHS = mass * acceleration

Terahertz Circular Dichroism Spectroscopy

Equation of motion for **charged** building blocks: right hand side

$$I \cdot \frac{d^2}{dt^2} \theta_i = -\alpha \cdot (\theta_i - \theta_{i+1}) - \alpha \cdot (\theta_i - \theta_{i-1}) + \mathbf{q}_i \cdot \mathbf{b} \cdot \epsilon_x \cdot e^{j \cdot (\omega \cdot t - \mathbf{k} \cdot \mathbf{z}_i)} \cdot \sin(\phi_i)$$

Force experienced by each charged units due to external terahertz radiation.



Terahertz radiation **shakes** and **pushes** each charged units around.

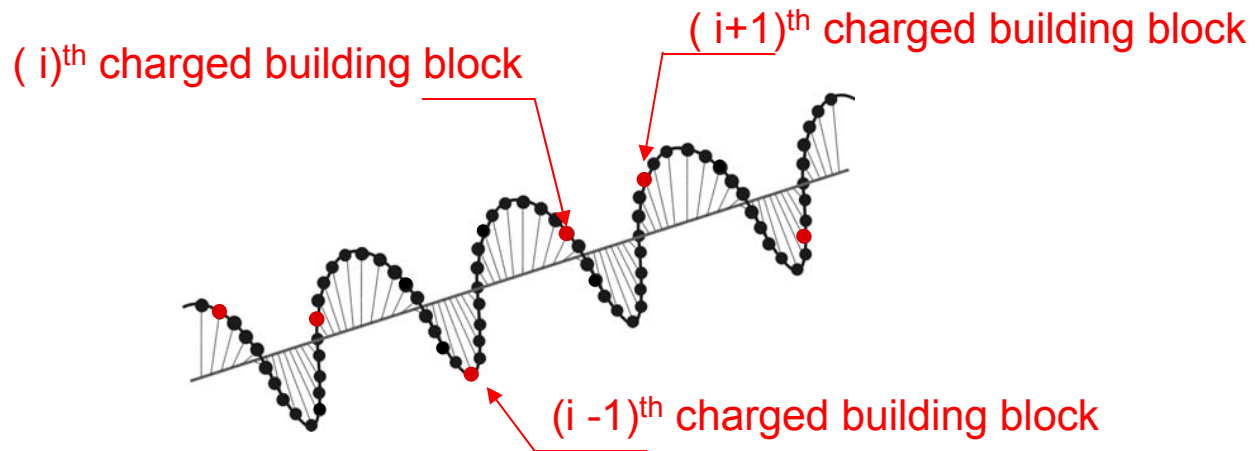
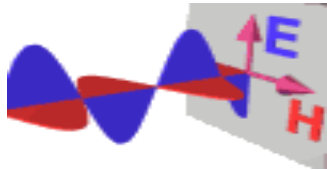
Each charged units can only move in the **tangential** plane to the backbone.

Terahertz Circular Dichroism Spectroscopy

Equation of motion for **charged** building blocks: right hand side

$$I \cdot \frac{d^2}{dt^2} \theta_i = -\alpha \cdot (\theta_i - \theta_{i+1}) - \alpha \cdot (\theta_i - \theta_{i-1}) + \mathbf{q}_i \cdot \mathbf{b} \cdot \boldsymbol{\varepsilon}_x \cdot e^{j \cdot (\omega \cdot t - \mathbf{k} \cdot \mathbf{z}_i)} \cdot \sin(\phi_i)$$

Force experienced due to the motions of the two closest charged neighbors.



α = “coupling strength between closest charged neighbors”.

Movements of an individual charged unit

can and do also cause the **two closest neighbors** to move.

Terahertz Circular Dichroism Spectroscopy

Equation of motion for **charged** building blocks: right hand side

$$I \cdot \frac{d^2}{dt^2} \theta_i = -\alpha \cdot (\theta_i - \theta_{i+1}) - \alpha \cdot (\theta_i - \theta_{i-1}) + \mathbf{q}_i \cdot \mathbf{b} \cdot \epsilon_x \cdot e^{j \cdot (\omega \cdot t - \mathbf{k} \cdot \mathbf{z}_i)} \cdot \sin(\phi_i)$$

Force experienced by each charged units
due to external terahertz radiation.

Force experienced due to the motions of
the two closest charged neighbors.

RHS = all forces experienced by a single charged building block

Terahertz Circular Dichroism Spectroscopy

Equation of motion for **charged** building blocks: the whole thing

$$I \cdot \frac{d^2}{dt^2} \theta_i = -\alpha \cdot (\theta_i - \theta_{i+1}) - \alpha \cdot (\theta_i - \theta_{i-1}) + \mathbf{q}_i \cdot \mathbf{b} \cdot \epsilon_x \cdot e^{j \cdot (\omega \cdot t - \mathbf{k} \cdot \mathbf{z}_i)} \cdot \sin(\phi_i)$$

Force experienced by each charged units due to external terahertz radiation.

Force experienced due to the motions of the two closest charged neighbors.

Mass * acceleration.



How do we go about solving it?

Quick Answer: use more pencil and paper.

Acknowledgements:

Mentor

➤ Jing Xu

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➤ UCSB

➤ NASA

➤ ARMY

➤ Thank you Jing for all your help!

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